

Solve the following on a separate piece of paper using methods demonstrated in class. **BE SURE TO SHOW ALL WORK IN ORDER TO RECEIVE FULL CREDIT** – Use method for **METHOD FOR SOLVING WORD PROBLEMS**.

1. A student wearing frictionless in-line skates on a horizontal surface is pushed by a friend with a constant force of 45 N. How far must the student be pushed, starting from rest, so that her final kinetic energy is 352 J?

$$W = \Delta K$$

$$+ F_A D = K_f - K_i$$

$$(45N)D = 352J - 0J$$

$$D = 7.8m$$

2. A 2.0×10^3 kg car accelerates from rest under the actions of two forces. One is the forward force of 1140 N provided by the traction between the wheels and the road. The other is a 950 N resistive force due to various frictional forces. Use the work-kinetic energy theorem to determine how far the car must travel for its speed to reach 2.0 m/s.

$$W_1 = +(1140N) \cdot D$$

$$W_2 = -(950N) \cdot D$$

$$W = \Delta K$$

$$W = K_f - K_i$$

$$W_1 + W_2 = K_f - K_i$$

$$(1140N)D - (950N)D = 4000J - 0J$$

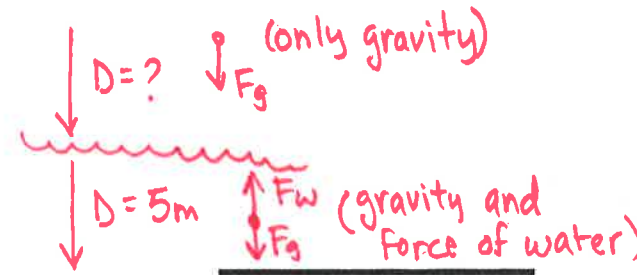
$$(190N)D = 4000J$$

$$D = 21m$$

$$K_i = 0J$$

$$K_f = \frac{1}{2} (2000kg) (2 \frac{m}{s})^2 = 4000J$$

3. A 50.0 kg diver steps off a diving board and drops straight down into the water. The water provides an upward average net force of 1500 N. If the diver comes to rest 5.0 m below the water's surface, what is the distance between the diving board and the diver's stopping point?



$$F_w = 1500N$$

$$F_g = (50kg)(9.8 \frac{m}{s^2}) = 490N$$

Below Water

$$W = K_f - K_i$$

$$W_w + W_g = K_f - K_i$$

$$-F_w D + F_g D = 0J - K_i$$

$$-(1500N)(5m) + (490N)(5m) = -K_i$$

$$-5050J = -K_i$$

$$K_i = 5050J \text{ @ SURFACE OF WATER}$$

Above water

$$W = K_f - K_i$$

$$W_g = K_f - K_i$$

$$F_g D = K_f - K_i$$

$$(490N)D = 5050J - 0J$$

$$D = 10.3m$$