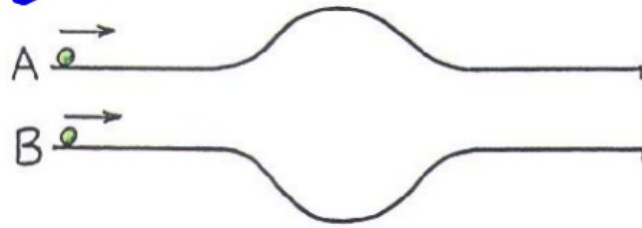


Bellwork 5/3



Two smooth tracks of equal length have "bumps"—A up and B down, both of the same curvature. If two balls start simultaneously with the same initial speed, the ball to complete the journey first is along
a) Track A. b) Track B. c) ... both take the same time.

Both start with the same kinetic energy, but ball B also starts with some potential energy

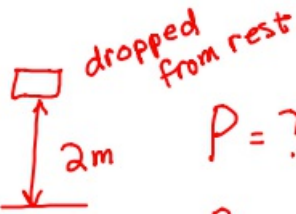
$$\text{Ball A: } E = \underline{k_i} + p_i^0$$

$$\text{Ball B: } E = \underline{k_i} + P_i \text{ (more total energy)}$$

At the end, both balls have kinetic energy only.

Since B has more total energy it will have a greater K , and thus a greater v . So B reaches the end first.

① a)



$$P = ?$$

* NOTE
 $20\text{N} = mg$
 ↑
 Weight is given (not mass)

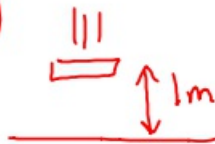
$$P = mgh$$

$$P = (20\text{N})(2\text{m}) = 40\text{N}\cdot\text{m}$$

$$P = 40\text{J}$$

At the top, the book has no kinetic energy since it is at rest. Therefore, the total energy of the book is 40J.

b)



$$K = ?$$

$$E = K + P$$

$$40\text{J} = K + \frac{mgh}{20\text{N} \cdot 1\text{m}}$$

$$40\text{J} = K + 20\text{J}$$

$$20\text{J} = K$$

E = K + P			
	K	P	E
top	0	40J	40J
@ 1m	20J	20J	40J

different approach

part c



$$E = K + P$$

$$40\text{J} = K + 0$$

$$40\text{J} = K, \text{ find } v$$

$$40\text{J} = \frac{1}{2}mv^2$$

$$40\text{J} = \frac{1}{2}(2\text{kg})v^2$$

$$v = 6.32 \frac{\text{m}}{\text{s}}$$

Given weight

$$F_g = 20\text{N}$$

$$mg = 20\text{N}$$

$$m = \frac{20\text{N}}{9.8 \frac{\text{m}}{\text{s}^2}}$$

(2)

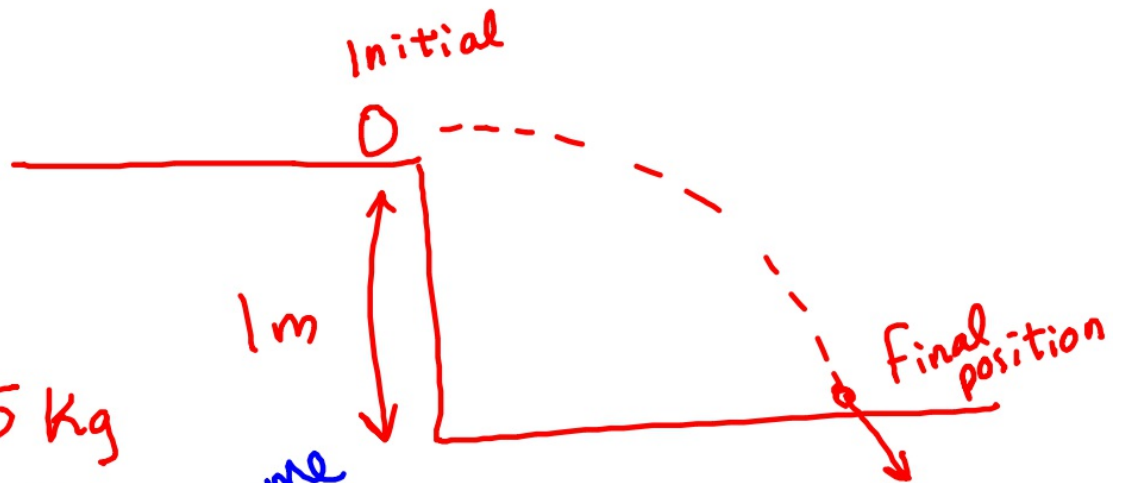
Given

$$m = 0.5 \text{ kg}$$

$$v_i = 5 \frac{\text{m}}{\text{s}}$$

$$h = 1 \text{ m}$$

$$v_f = ?$$



same

$$E_i = K_i + P_i$$

$$E_f = K_f + P_f$$

$$E_i = \frac{1}{2} m v_i^2 + mgh$$

Find E_i , then plug it in for E_f .

Solve for K_f , and then v_f .